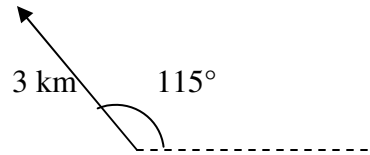


Bearings

When determining the direction of a vector, we will be working with angles. There are several systems we can use to identify the angle at which a vector is heading.

“Normal” (Cartesian)

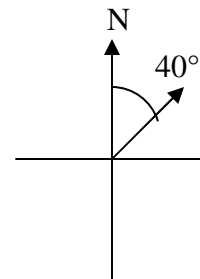
Without any reference directions, we simply refer to the angle with the “ground”, as though the angle was in standard position.



“3 km at 115° above the horizontal”

Azimuth (“True”) Bearing

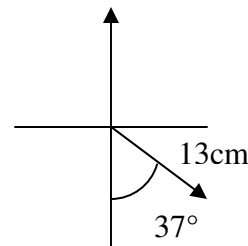
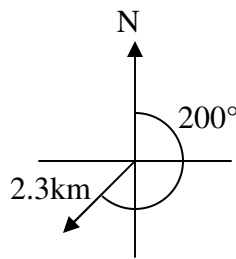
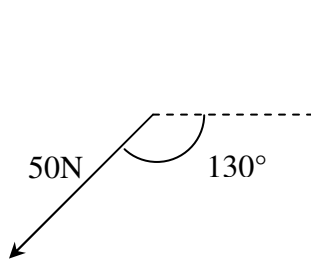
The angle is measured from North in a clockwise direction. True bearings are expressed with **3** digits. North has a bearing of 000° . The vector shown has a bearing of 040° .



Quadrant Bearing

The angle is a measurement between 0° and 90° , emanating from the North-South line. (Much like a co-related angle.) It has 3 parts: direction from, angle, direction to. For example, the vector above has a bearing of $N40^\circ E$.

Example 1: Describe the following vectors using an appropriate bearing.



50 N at 130° below the horizontal 2.3km bearing 200° 13cm bearing $S37^\circ E$

Example 2: Draw the following vectors using an appropriate scale. (Diagrams will vary.)

- a. $\vec{v} = 3\text{N bearing } 075^\circ$
- b. $\vec{w} = 13\text{km/h bearing N}50^\circ\text{W}$

Example 3: Convert the following bearings:

- a. True bearing of 350° to quadrant bearing (N 10° W)
- b. Quadrant bearing of S 36° E to true bearing (144°)

Example 4: State the opposite of the following vectors

- a. Displacement of 35m bearing 050° (35m bearing 230°)
- b. Force of 15N bearing N 17° E (15N bearing S 17° W)

Homework: pg. 45 # 2, 4 – 7, 9, 10, 14